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#### 1 Introduction

#### 1.1 Model

#### 1.1.1 Model Properties

The model is defined as Message-passing Aysnchronous.

There is n process. Each process is associated to a unique unforgeable id i.

Each process know the identity of all the process in the system

Each process have a reliable communication channel with all the others process such as :

- send(m) is the send primitive
- recv(m) is the reception primitive

A message send is eventually received

The system is Crash-Prone. There is at most f process who can crash such as f < n.

#### 1.1.2 AtomicBroadcast Properties

**Property 1**  $AB\_broadcast\ Validity\ if\ a\ message\ is\ sent\ by\ a\ correct\ process,\ the\ message\ is\ eventually\ received\ by\ all\ the\ correct\ process.$ 

**Property 2** AB\_receive Validity if a message is received by a correct process, the message is eventually received by all the correct process.

**Property 3** AB\_receive safety No creation if a message is received by a correct process, the message was emitted by a correct process.

**Property 4** AB receive safety No duplication each message is received at most 1 time by each process.

```
Property 5 AB\_receive safety Ordering \ \forall m_1, m_2 two messages, \forall p_i, p_j two process. if AB\_recv(m1) and AB\_recv(m2) for p_i, p_j and AB\_recv(m1) is before AB\_recv(m2) for p_i so AB\_recv(m1) is before AB\_recv(m2) for p_j
```

#### 1.1.3 DenyList Properties

**Property 6** APPEND Validity a APPEND(x) is valid iff the process p who sent the operation is such as  $p \in \Pi_M$ . And iff  $x \in S$  where S is a set of valid values.

**Property 7** PROVE Validity a PROVE(x) is valid iff the process p who sent the operation is such as  $p \in \Pi_V$ . And iff  $\exists$  APPEND(x) who appears before PROVE(x) in Seq.

**Property 8** PROGRESS if an APPEND(x) is invoked, so there is a point in the linearization of the operations such as all PROVE(x) are valids.

**Property 9** READ Validity READ() return a list of tuples who is a random permutation of all valids PROVE() associated to the identity of the emiter process.

### 1.2 Algorithms

```
We define k as the id of the round the getMax(proves) return MAX((\_,r):\exists(\_,PROVE(r))\in proves) buffer a FIFO list with buffer[front] returning the first element
```

#### Algorithm 1: AB\_Broadcast

```
Input: le message m
 1 \text{ k} \max = \text{getMax}(\text{READ}())
 2 while buffer \neq [\emptyset] do
       (i, m) = buffer[front]
       \mathbf{wait} \ PROVE(k_{max} \mid\mid m) = false
 4
       proves = READ()
       if ((i, PROVE(k\_max||m)) \in proves) \land ((i, PROVE(k\_max)) \in proves) then
 6
        buffer = buffer - \{(i, m)\}
       end
 9 end
10 while true \ do
       proves = READ()
       k = getMax(proves) + 1
12
       PROVE(k | m)
13
       APPEND(k | m)
14
       if PROVE(k) then
15
           APPEND(k)
16
          return
17
       \mathbf{end}
18
19 end
```

```
\begin{array}{l} proves_r = (i,r): \forall i, \exists (i, PROVE(r)) \in proves \\ proves_r^i = ((i,r): \exists (i, PROVE(r)) \in proves)?? \text{ NULL} \end{array}
```

#### Algorithm 2: AB Listen

```
\mathbf{1} \ \mathrm{buffer} = [\emptyset]
 \mathbf{k} = 0
 з while true do
       proves = READ()
       k \max = getMax(proves)
 5
       for r=k+1 to k max do
 6
           APPEND(r)
 7
           for i = 1 to |P| do
 8
               if (\exists m : \exists (i, PROVE(r||m)) \in proves) then
 9
                   if (\exists (i, PROVE(r)) \in proves) then
10
                      AB Recv(m)
11
12
                   else
                    buffer = buffer \cup \{(i, m)\}
13
                  end
14
               end
15
           end
16
       end
17
18 end
```