

Étude de la cohérence dans les systèmes distribués

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1 Introduction

- Introduction
- My internship

Présentation

- Amaury JOLY
- Master Informatique
 - ▶ Option Fiabilité Sécurité Informatique (FSI)

My Internship

- Begin in april
- Collaboration between Parsec and LIS-LAB
 - ▶ Parsec is a for-profit organization working on an open-source software named Parsec
 - ▶ It's a software architecture to file sharing with E2EE in a zero-trust approach
- Parsec want to add Collaborative Editing on their products :
 - ▶ With a zero-trust approach (so probably decentralized)
 - ▶ With a high availability and low latency approach
- Subject is *Weak Consistency Byzantin Fault Tolerant*

2 Distributed systems and consistency

- Définition

A distributed system

Definition

A distributed system is a group of **actors** able to communicate **each-other** working together to **complete a common task**.

The system we consider on this presentation is a **asynchronous message-passing** system.

A distributed system is a living system

A distributed system changes over time.

There's some way to study these changes :

- focus on the **churn** (node addition and removal).
- focus on the **messages**.
- focus on the **connectedness**.
- focus on the **states**. \Leftarrow
- probably more... ?

The study of the state changes is also called the study of **consistency**.

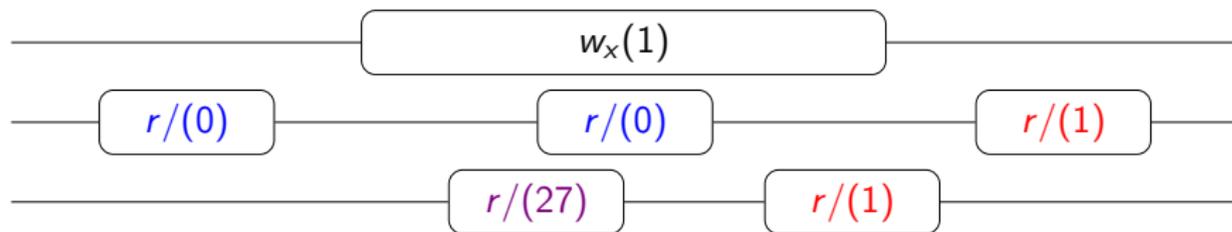
A small exemple : A peer-to-peer discussion

3 The compromises of consistency

- Strong consistency
- The compromises of the strong consistency
- In a malicious context ?

Definition

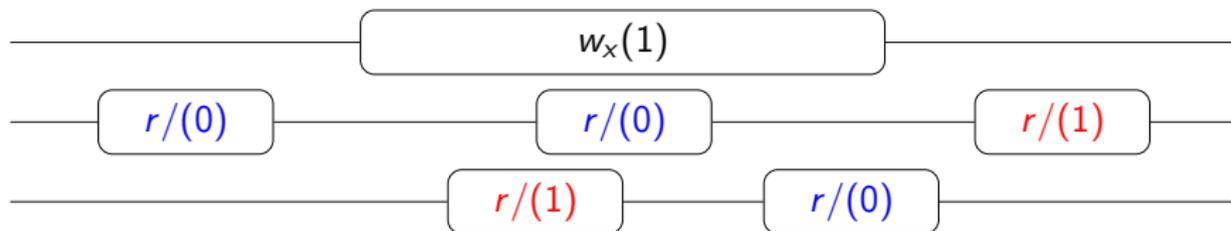
Each **read** operation made in the same **non-competitor** context provide the same result.



Regularity

Definition

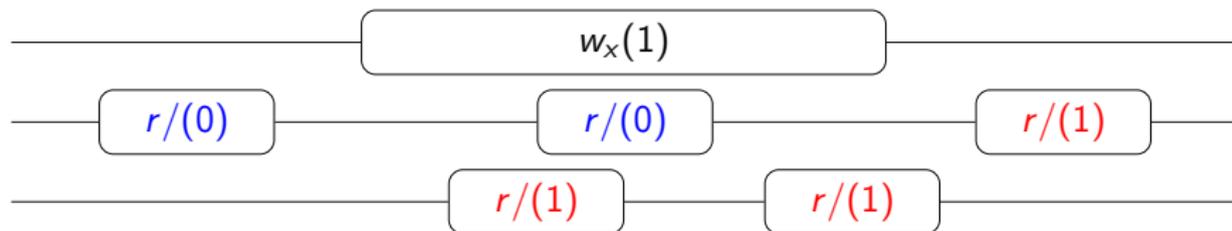
An reading operation concurrent with a writing operation must provide the value **before or after the write**.



Atomicity

Definition

If two readings are non-competitor, the second one must provide a value at least as recent as the previous one.



Atomic Consistency (C_T)

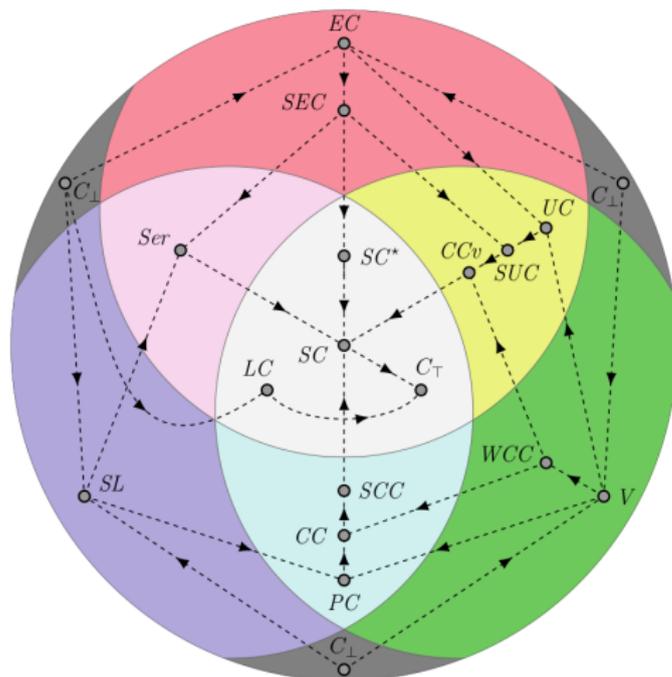
Définition

Atomic consistency is the stronger consistency class.

- Provide an awful interactivity.
- Need a strong synchronization between each operation.
 - ▶ Each read or write operation lock the others and need to wait the release from the previous one.
- He's used as a reference for the other consistency class.

The models of consistency

a



Les classes de cohérences

2 big family :

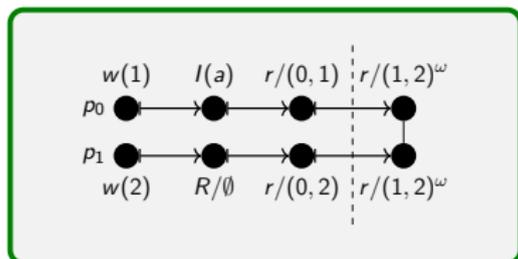
- Strong Consistency
- Weak Consistency :
 - ▶ Eventual Consistency (EC)
 - ▶ State Locality (SL)
 - ▶ Validity (V)

a. Perrin, Concurrence et cohérence dans les systèmes répartis, 2017

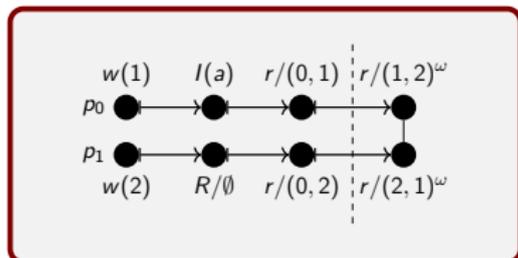
Eventual Consistency (EC)

Definition

There exist a set of confinite operations where each one must be justify with the same state.



$E' = \{r/(1,2)^\omega, r/(1,2)^\omega\}$
 $\delta = ((1,2), \emptyset)$ is a valid state justifying E' .

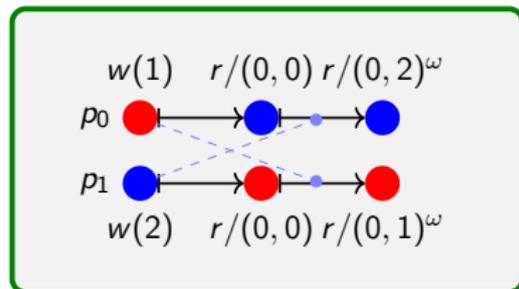


$E' = \{r/(1,2)^\omega, r/(2,1)^\omega\}$.
There exist no state able to justify E' because the two infinite reads are not consistent.

State Locality

Definition

For all p , there exist one linearization who include all the read operations of p . According to the local order of these reads.

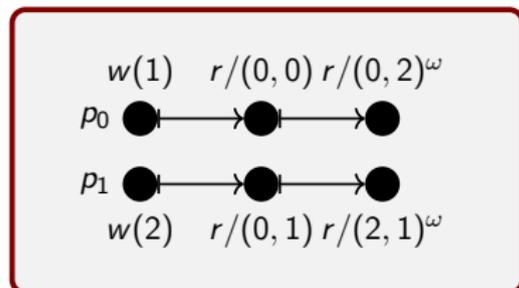


$$C_{p_0} = \{r/(0,0), r/(0,2)^\omega, w(2)\},$$

$$C_{p_1} = \{r/(0,0), r/(0,1)^\omega, w(1)\},$$

$$r/(0,0) \bullet w(2) \bullet r/(0,2)^\omega$$

$$r/(0,0) \bullet w(1) \bullet r/(0,1)^\omega$$



$$E'_{p_0} = \{r/(0,0), r/(2,1)^\omega\},$$

$$r/(0,0) \bullet w(2) \bullet w(1) \bullet r/(2,1)^\omega$$

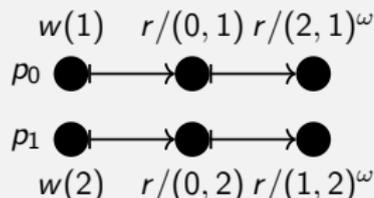
$$E'_{p_1} = \{r/(0,1), r/(2,1)^\omega\}.$$

There exist no linearization of p_1 satisfying the definition of state locality

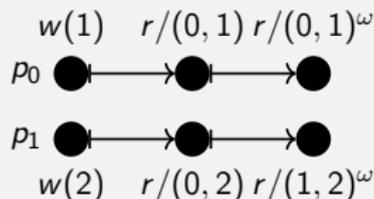
Validity (V)

Definition

There exist a cofinite set of operations such as for each of them must be justified by a linearization of all the write operation.



$$E' = \{r/(2,1)^\omega, r/(1,2)^\omega\}$$
$$w(2) \bullet w(1) \bullet r/(2,1)^\omega$$
$$w(1) \bullet w(2) \bullet r/(1,2)^\omega$$



$$E' = \{r/(0,1)^\omega, r/(1,2)^\omega\}.$$

There is no linearization of the write operation able to justify $r/(0,1)^\omega$.

The Byzantin context associate to the weak consistency

Some questions about :

- is the weak consistency introduce new possibility of malicious behaviours.
- is the weak consistency reduce by design the field of milicious behaviours.

The state of the art is poor about these questions and few formalized algoritms are available.

4 What's next?

Conclusion

What's next ?

- Study and formalize some "in-prod" algorithms using weak consistency in byzantin contexts.
- Continue the collaboration with Parsec :
 - ▶ formalize a list of properties
 - ▶ provide a proof of concept of a collaborative editor